

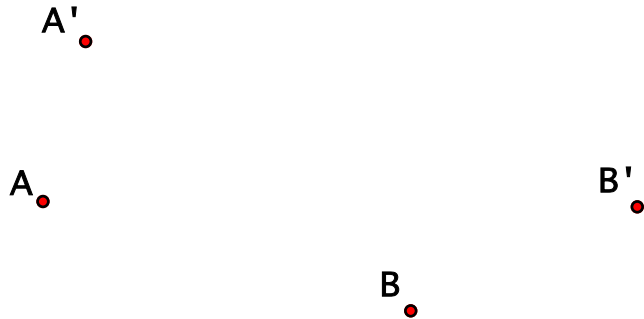
" Properties of Dilations

Mark the following statements as True or False. Provide a justification for your answer.

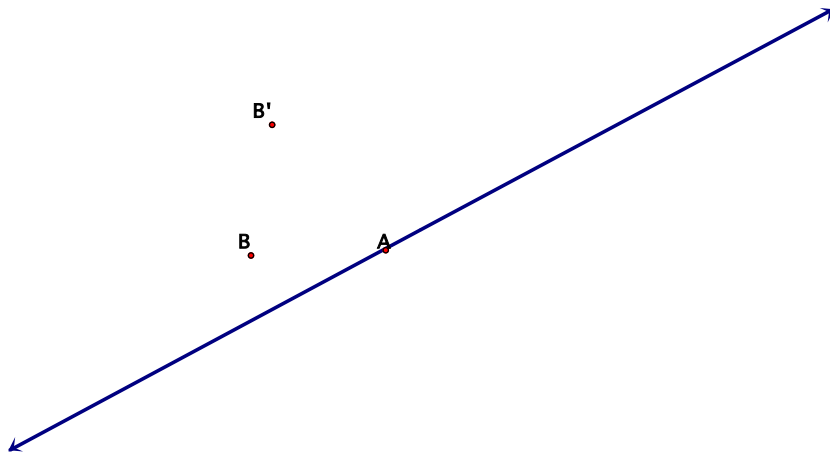
1. In a dilation $D_{k,C}$, the center point C is the only point that maps to itself.
2. If point B is between points A and C , then in a dilation, the image of B , B' will be between A' and C' .
3. In a dilation $D_{k,C}$, any line through C will map to a parallel line.
4. In a dilation $D_{k,C}$, the image of a triangle is always a triangle.
5. In a dilation $D_{k,C}$, the image of a triangle is never congruent to the original triangle.
6. In a dilation $D_{k,C}$, the image of an angle $\angle ABC$ will be an angle k times as large.
7. In a dilation $D_{k,C}$, the ratio of the lengths of two segments is equal to the ratio of the lengths of the image segments.
8. Given a parallelogram $AA'BB'$, there is no dilation that maps A to A' and B to B' .

Short Answer

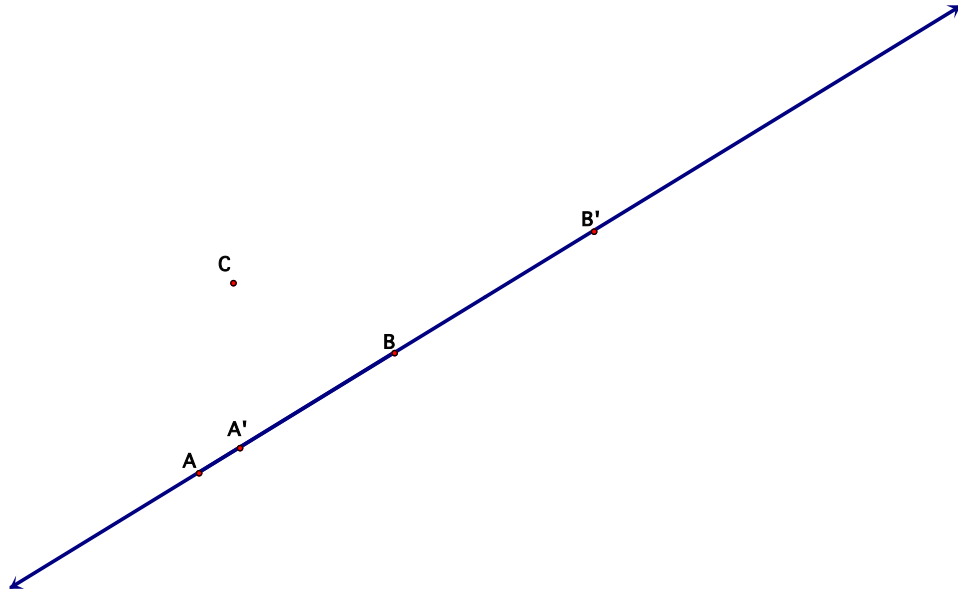
1. Explain how to find the center of a dilation that maps A to A' and B to B' .



2. Given that a dilation that maps B to B' has its center on line m , describe how to construct the image point A' for that dilation.



3. Given a dilation that maps A to A' and B to B' , construct the image of point C for this dilation. Explain the steps used and why they work.



4. Consider the set of all dilations centered at one point C . Is this set closed? That is, if one combines two dilations, one followed by the other, do you get another dilation centered at C ?
5. What dilation acts as an identity for the set of dilations all centered at C ?
6. What dilation acts as an inverse for $D_{k,C}$? Explain why your choice works.
7. Is the set of dilations centered at C commutative? That is, if you construct $D_{k,C}$, followed by $D_{m,C}$ do you get the result as when you construct $D_{m,C}$ followed by $D_{k,C}$?
8. Is the set of dilations centered at C associative? Write out what that would mean, then investigate.